

140 WALNUT STREET KANSAS CITY, MO 64106

Letter of Transmittal

Attention:	Brock Worthley, PE
	1301 Burlington, Suite 100
	North Kansas City, MO 64116

Project: Osage 3 rd Plat	ESS JOB# 1421047	Date: 11/17/21	
New SubmittalX		Transmittal No6	
Resubmittal		Previous Transmittal No	
Specification Section	Description	Supplier Action	

Specification Section	Description	Supplier	Action
City of Lee Summit	Reinforced Soil Retaining Wall Structural Engineering and Product Data	BC Hardscapes	For Review

Signed: Jonathan Myers

Contractor: Emery Sapp and Sons, Inc.

Remarks:

Reviewed By: _____

Date:	











DRAWN BY:

 $\Xi \times$ ₩<u></u>

C

╉──

 $\vec{\mathbb{N}}$

 \mathbf{n}

 \triangleleft

 \mathcal{O}

Ň

ШДL

DNING.

⊢

Ш Ω/

90

 \cap

DESIGNED BY:

SHEET NO:



Segmental Retaining Wall Design Calculations per NCMA



¹ Brutus 7.67.xmcd

External Stability Analysis

<u>Sliding</u>

Given

$$\begin{aligned} \text{Given} \\ \text{Interpretation of the set of th$$

Overturning

Given

$$\begin{aligned} & \left[\left(L \cdot \gamma_{e} \cdot H \right) \cdot \left[\frac{1}{2} \cdot (L + H \cdot \tan(\omega)) \right] \right] \dots \\ & + \left[\frac{1}{2} \cdot \gamma_{e} \cdot \left(L - W_{u} - Z \right) \cdot \left[\left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} \right] \cdot \tan(\beta) \right] \cdot \left[\left[H \cdot \tan(\omega) + W_{u} + Z + \frac{2}{3} \cdot \left(L - W_{u} - Z \right) \right] \right] \\ & + q_{d} \cdot \left[\left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} \right] \cdot \left[\frac{Z + \left[\left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} \right] \right] + H \cdot \tan(\omega) + \frac{2}{2} \\ 2.0 = \frac{1}{\left[\frac{1}{2} \cdot Ka_{e} \cdot \gamma_{e} \cdot \left[H + \left[\left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} \right] \cdot \tan(\beta) \right]^{2} \cdot \cos(\delta_{e} - \omega) \right] \cdot \left[\frac{1}{3} \cdot \left[H + \left[\left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} + \left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} \right] \cdot \tan(\beta) \right] \cdot \cos(\delta_{e} - \omega) \right] \cdot \left[\frac{1}{2} \cdot \left[H + \left[\left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} + \left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} \right] \right] \cdot \tan(\beta) \right] \cdot \cos(\delta_{e} - \omega) \right] \cdot \left[\frac{1}{2} \cdot \left[H + \left[\left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} + \left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} \right] \right] \right] \cdot \left[\frac{1}{2} \cdot \left[H + \left[\left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} + \left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} \right] \right] \right] \right] \cdot \left[\frac{1}{2} \cdot \left[H + \left[\left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} + \left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} \right] \right] \right] \right] \cdot \left[\frac{1}{2} \cdot \left[H + \left[\left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} + \frac{\left(L - W_{u} - Z \right) + \frac{\left(L - W_{u} - Z \right) \cdot \tan(\beta) \cdot \tan(\beta) \cdot \tan(\beta) - \tan(\beta)$$

$$L_{overturning} := Find(L) \qquad \qquad L_{overturning} = 2.998 \text{ ft}$$

$$L_{sliding}$$

$$L_{coverturning}$$

Eccentricity

$L' := L - W_u - Z$	$L' = 3 \cdot ft$	[Fig. 2-10]	[Eq. 5-1]
$L'' := \frac{\left(L - W_u - Z\right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} $ ⁷	L'' = 0 ft	[Fig. 2-10]	[Eq. 5-2]
$1 - \tan(\beta) \cdot \tan(\omega)$			
$L_{\beta} := L' + L''$	$L_{\beta} = 3 \text{ ft}$	[Fig. 2-10]	[Eq. 5-3]
$h := L_{\beta} \cdot tan(\beta)$	h = 0 ft	[Fig. 2-10]	[Eq. 5-4]
$W_{ri} := L \cdot \gamma_i \cdot H$	$W_{ri} = 4218.5 \cdot plf$	[Eq. 5-15]	
$X_{ri} := \frac{1}{2} \cdot (L + H \cdot tan(\omega))$	$X_{ri} = 2.86 \text{ ft}$	[Eq. 5-19]	
$W_{r\beta} := \frac{1}{2} \cdot \gamma_i \cdot (L' - Z) \cdot h$	$W_{r\beta}=0{\cdot}plf$	[Eq. 5-16]	
$X_{r\beta} := H \cdot tan(\omega) + W_u + \frac{2}{3} \cdot L_{\beta} + Z$	$X_{r\beta} = 4.719 \mathrm{ft}$	[Eq. 5-20]	
$X_{q\beta} := \frac{Z + L_{\beta}}{2} + [(H + h) \cdot \tan(\omega)] + W_{u}$	$X_{q\beta} = 3.719 \text{ ft}$	[Eq. 5-21]	
Actual Heigth of wall:			
$\mathbf{H}_{\mathbf{s}} := (\mathbf{H} + \mathbf{h})$	$H_{s} = 7.67 ft$		
Earth Pressures:			
$P_{sH} := \left[\frac{1}{2} \cdot Ka_{e} \cdot \gamma_{e} \cdot (H+h)^{2} \cdot \cos(\delta_{e} - \omega)\right]$	$P_{sH} = 1003.112 \cdot plf$	[Eq. 5-6]	
$Y_s := \frac{1}{3} \cdot (H + h)$	$Y_{s} = 2.557 ft$	[Eq. 5-9]	
$P_{qH} := \left(q_d + q_l\right) \cdot Ka_e \cdot (H + h) \cdot \cos\left(\delta_e - \omega\right)$	$P_{qH} = 0 \cdot plf$	[Eq. 5-8]	
$Y_q := \frac{1}{2} \cdot (H + h)$	$Y_q = 3.835 ft$	[Eq. 5-10]	
$e:=\frac{\left[P_{sH}\cdot Y_{s}+P_{qH}\cdot Y_{q}-W_{ri}\cdot\left(X_{ri}-\frac{L}{2}\right)-W_{r\beta}\cdot\left(X_{r\beta}-\frac{L}{2}\right)-q_{d}\cdot\left(L_{\beta}\right)\cdot\left(X_{q\beta}-\frac{L}{2}\right)\right]}{W_{ri}+W_{r\beta}+q_{d}\cdot\left(L_{\beta}\right)}$	e = 0.2484 ft	[Eq. 5-25]	
$\frac{\text{Check}}{\text{W}} = \text{if}(e \le 0, 0.075\text{L}, e)$	e = 0.248 ft		
Surcharge is applied over: $(L' + L'') = 3 \text{ ft}$ $B := L - 2 \cdot e$	B = 4.503 ft	[Eq. 5-24]	

Bearing Capacity

$Q_a \coloneqq \frac{\left[W_{ri} + W_{r\beta} + \left(q_d + q_l\right) \cdot (L' + L'')\right]}{B}$	$Q_a = 936.785 \cdot \text{psf}$
$N_{q} := \tan\left(45 \cdot \deg + \frac{\varphi_{f}}{2}\right)^{2} \cdot \exp(\pi \cdot \tan(\varphi_{f}))$	$N_q = 11.854$ [Fig. 4-5]
$N_{c} := if \left[\varphi_{f} = 0, 5.14, \left(N_{q} - 1 \right) \cdot cot(\varphi_{f}) \right]$	$N_c = 22.254$ [Fig. 4-5]
$N_{\gamma} := 2 \cdot \left(N_q + 1\right) \cdot tan\left(\varphi_f\right)$	$N_{\gamma} = 12.539$ [Fig. 4-5]
$Q_{ult} := c_{f} \cdot N_{c} + \frac{1}{2} \cdot \gamma_{f} \cdot B \cdot N_{\gamma} + \gamma_{f} \cdot H_{emb} \cdot N_{q}$	$Q_{ult} = 4340.945 \cdot psf$ [Eq. 4-20]
$FS_{bearing} := \frac{Q_{ult}}{Q_a}$	FS _{bearing} = 4.634 [Eq. 4-19]

Internal Stability

Reinforcement Properties

Geogrid Design Data

Backfill Soil	Type := (gravel)		
1 2 3 4 5 6 7	8 9	Geogrid Number	
$Type^{T} = (411 \ 834 \ 1199 \ 1336 \ 2004 \ 2508$	3 3011 3873 7914)	GN1 := 4 GN2 := 2	
$\operatorname{inter}^{\mathrm{T}} = (1145 \ 1145 \ 1145 \ 1145 \ 1145 \ 1145 \ 1145$	45 0)		
$slope^{T} = (38 \ 38 \ 38 \ 38 \ 38 \ 38 \ 0)$			
$maxc^{T} = (4540 \ 4540 \ 4540 \ 4540 \ 4540 \ 4540 \ 4540$	540_0) <mark>x := 4 1</mark> x is the nur	nber of grids at the top of the wall of a	different type
$T_a := Type_{GN1} \cdot plf$ $T_a = 1336 \cdot plf$ T_a	$T_{a2} := Type_{GN2} \cdot plf$ $T_{a2} = 834$	ŀ plf	
$a_{cs} := inter_{GN1} \cdot plf$ $a_{cs} = 1145 \cdot plf$	$\lambda_{cs} := slope_{GN1} \cdot deg$ $\lambda_{cs} = 38$	$V_{csmax} := maxc_{GN1} \cdot plf$	$V_{csmax} = 4540 \cdot plf$
$a_{cs2} := inter_{GN2} \cdot plf$ $a_{cs2} = 1145 \cdot plf$	$\lambda_{cs2} := slope_{GN2} \cdot deg$ $\lambda_{cs2} = 3$	$V_{csmax2} := maxc_{GN2} \cdot plf$	$V_{csmax2} = 4540 \cdot plf$





$$T_a^T = (834 \ 834 \ 834 \ 834) \cdot \text{plf}$$

$$D_p := \frac{E_{p-1} + E_p}{2} \qquad D_1 := 0 \cdot \text{ft} \qquad D_{\text{grids}+1} := H$$

$$D_T^T = (0 \ 4.67 \ 6.335 \ 7.67) \text{ ft}$$

Total Applied Tensile Strength in the Geosynthetic reinf.:

$$F_{g_{n}} := \int_{D_{n}}^{D_{(n+1)}} (\gamma_{i} \cdot D + q_{l} + q_{d}) \cdot Ka_{i} \cdot \cos(\delta_{i} - \omega) dD \qquad [Eq. 5-36]$$

$$F_{g}^{T} = (275.327 \quad 231.323 \quad 236.036) \cdot plf$$

Safety factor:

$$FS_{ten_{n}} := \frac{T_{a_{n}}}{F_{g_{n}}} \qquad FS_{ten}^{T} = (3.029 \ 3.605 \ 3.533)$$

5 Brutus 7.67.xmcd

Pullout Capacity

Anchorage Length of Geosynthetic

$$La_n := L_n - W_u - \left[(H+h) - E_n \right] \cdot tan \left(90 \cdot deg - \alpha_i \right) + \left[(H+h) - E_n \right] \cdot tan(\omega)$$
 [Eq. 546]

$$La^{T} = (1.59 \ 2.795 \ 3.596)$$
 ft

<u>Note</u>: If the anchorage length is less than 1ft then there is not enough embedment length and it has to be increased. Note that in some cases it might just be the top two grids.

Average Depth of overburden on Anchorage length

$$d_{n} := E_{n} + \left[\left(H - E_{n} \right) \cdot \tan\left(90 \cdot \deg - \alpha_{i} \right) + \frac{La_{n}}{2} - \left(Z + H \cdot \tan(\omega) - \Delta_{u} \right) \right] \cdot \tan(\beta)$$

$$\begin{bmatrix} Eq. \ 5-47 \end{bmatrix}$$

$$\boxed{d^{T} = (3.67 \ 5.67 \ 7) \text{ ft}}$$

Anchorage Capacity

 $AC_{n} := 2 \cdot La_{n} \cdot C_{i} \cdot (d_{n} \cdot \gamma_{i} + q_{d}) \cdot tan(\phi_{i})$ $AC_{n}^{T} = (561.551 \quad 1525.034 \quad 2422.524 \) \cdot plf$ $F_{g}^{T} = (275.327 \quad 231.323 \quad 236.036 \) \cdot plf$

Safety Factor

$$FS_{po} := \frac{AC}{F_g}$$
 [Eq. 5-44]
$$FS_{po}^{T} = (2.04 \ 6.593 \ 10.263)$$

Internal Sliding

Reduced reinforcement length

$$\begin{split} \Delta L_{l+1} &\coloneqq \begin{bmatrix} \left(E_{l+1} - E_{l} \right) \cdot \left(\frac{1}{\tan(\alpha_{e})} - \tan(\omega) \right) \end{bmatrix} & \text{if } n_{g} > 2 \qquad [\text{Eq. 5-51}] \\ &\text{Spacing1} \cdot \text{ft} \cdot \left(\frac{1}{\tan(\alpha_{e})} - \tan(\omega) \right) & \text{if } n_{g} = 2 \\ &0 & \text{if } n_{g} = 1 \end{bmatrix} \\ \\ \underline{\Delta L^{T} = (0 \quad 1.481 \quad 0.985) \text{ ft}} \\ L'_{s} &\coloneqq L_{n} - W_{u} - \Delta L_{n} \qquad [\text{Eq. 5-50}] \\ \\ \underline{L'_{s}}^{T} &= (4 \quad 2.519 \quad 3.015) \text{ ft} \end{bmatrix} \end{split}$$

Length of sloping ground

$$L_{s\beta_n} := L'_{s_n} + \frac{\left(L'_{s_n} - W_u\right) \cdot \tan(\beta) \cdot \tan(\omega)}{1 - \tan(\beta) \cdot \tan(\omega)} - Z \qquad [Eq. 5-53 \& 5-52]$$

6 Brutus 7.67.xmcd

$$L_{s\beta}^{T} = (3 \ 1.519 \ 2.015) \text{ ft}$$

Height of slope above crest of wall

$$h'_{n} := L_{s\beta_{n}} \cdot tan(\beta)$$
 [Eq. 5-54]
 $h'^{T} = (0 \ 0 \ 0) ft$

Weight of reduced reinforced area

$$W'_{ri_{n}} := L'_{s_{n}} \cdot E_{n} \cdot \gamma_{i}$$
 [Eq. 5-55]
 $W'_{ri}^{T} = (1615 \ 1571 \ 2322) \cdot plf$

Weight of wedge beyond reinforced soil zone

$$W'_{r\beta_{n}} \coloneqq \frac{1}{2} \cdot \left(\begin{pmatrix} L_{s\beta_{n}} \cdot h'_{n} \end{pmatrix} \right) \cdot \gamma_{i}$$

$$W'_{r\beta} = \begin{pmatrix} 0 & 0 & 0 \end{pmatrix} \cdot plf$$

$$[Eq. 5-56]$$

Friction developed by weight

$$\frac{\mathrm{R'_{s}}_{n} \coloneqq \mathrm{C_{dsi}} \cdot \left[\mathrm{q_{d'}} \left(\mathrm{L_{s\beta}}_{n} + Z \right) + \mathrm{W'_{ri}}_{n} + \mathrm{W'_{r\beta}}_{n} \right] \cdot \mathrm{tan} \left(\mathrm{\varphi}_{i} \right)$$

$$\overline{\mathrm{R'_{s}}^{\mathrm{T}}} = (807 \ 785 \ 1161) \cdot \mathrm{plf}$$
[Eq. 5-49]

Shear capacity of facing elements

$$V_{u_{n}} := \min \left[V_{csmax}, a_{cs} + \left(if \left(E_{n} > H_{h}, H_{h}, E_{n} \right) \cdot \gamma_{u} \cdot W_{u} \right) \cdot tan \left(\lambda_{cs} \right) \right]$$

$$\begin{bmatrix} Eq. \ 4-25 \end{bmatrix}$$

$$V_{u}^{T} = (1489 \ 1677 \ 1801) \cdot plf$$

_

Driving Forces

From retained soil

$$P_{s_{n}} := \left\lfloor \frac{1}{2} \cdot Ka_{e} \cdot \gamma_{e} \cdot \left(E_{n} + h'_{n}\right)^{2} \cdot \cos\left(\delta_{e} - \omega\right) \right\rfloor \quad [Eq. 5-6]$$

$$\boxed{P_{s}^{T} = (230 \quad 548 \quad 836) \cdot \text{plf}}$$
From surcharge
$$P_{q} := \left(q_{d} + q_{l}\right) \cdot Ka_{e} \cdot \left(E_{n} + h'_{n}\right) \cdot \cos\left(\delta_{e} - \omega\right) \quad [Eq. 5-8]$$

$$P_{q_n} := (q_d + q_l) \cdot Ka_e \cdot (E_n + h'_n) \cdot \cos(\delta_e - \omega) \qquad [Eq. 5]$$

$$P_q^T = (0 \ 0 \ 0) \cdot plf$$

Factor of safety against internal sliding

$$P_{a_{n}} := P_{s_{n}} + P_{q_{n}}$$
[Eq. 5-11]

$$P_{a}^{T} = (230 \quad 548 \quad 836) \cdot \text{plf}$$

$$FS_{sl_{n}} := \frac{R'_{s_{n}} + V_{u_{n}}}{(P_{a_{n}})}$$
[Eq. 5-48]

$$FS_{sl}^{T} = (9.999 \quad 4.491 \quad 3.545)$$

Local Stability of Facing Units

Facing Connection Strength

$$T_{\text{conn}_{n}} := \min \left[V_{\text{csmax}_{n}}, a_{\text{cs}_{n}} + \left(if(E_{n} > H_{h}, H_{h}, E_{n}) \cdot \gamma_{u} \cdot W_{u} \right) \cdot \tan(\lambda_{\text{cs}_{n}}) \right]$$

$$\overline{T_{\text{conn}}}^{T} = (1489 \ 1677 \ 1801) \cdot \text{plf}$$

$$FS_{\text{conn}_{n}} := \frac{T_{\text{conn}_{n}}}{F_{g_{n}}} \qquad FS_{\text{conn}}^{T} = (5.408 \ 7.248 \ 7.631)$$

Resistance to Bulging

Shear capacity at each geogrid layer

$$V_{u_{n}} := \min \left[V_{csmax}, a_{cs} + \left(if \left(E_{n} > H_{h}, H_{h}, E_{n} \right) \cdot \gamma_{u} \cdot W_{u} \right) \cdot tan \left(\lambda_{cs} \right) \right]$$

$$\begin{bmatrix} Eq. \ 4-25 \end{bmatrix}$$

$$V_{u}^{T} = (1489 \ 1677 \ 1801) \cdot plf$$

Driving Force at each geogrid layer

$$P_{a_{n}} := \left[\frac{1}{2} \cdot Ka_{i} \cdot \gamma_{i} \cdot \left(E_{n}\right)^{2} \cdot \cos\left(\delta_{i} - \omega\right)\right] + \left(q_{d} + q_{l}\right) \cdot Ka_{i} \cdot \left(E_{n}\right) \cdot \cos\left(\delta_{i} - \omega\right)$$

$$\boxed{P_{a}^{T} = (170 \quad 406 \quad 619) \cdot plf}$$

$$\boxed{Eq. 5-11}$$

Sum of tension in reinforcement layers above layer being considered

$$F_{sc}^{T} = (0 \ 275 \ 507 \ 743) \cdot \text{plf}$$

$$F_{sc}^{T} = (0 \ 275 \ 507 \ 743) \cdot \text{plf}$$

$$F_{sc}^{T} = (8.757 \ 12.844 \ 16.09)$$
[Eq. 5-61]

Maximum unreinforced height of SRW units $y := E_1 = 3.67 \text{ ft}$

 $g_{l} := 0 \cdot psf$

Moment equilibrium

Driving Moments

$$\mathbf{P'_s} := \left[\frac{1}{2} \cdot \mathbf{K} \mathbf{a_i} \cdot \boldsymbol{\gamma_i} \cdot (\mathbf{y})^2 \cdot \cos(\delta_i - \omega)\right]$$
 [Eq. 4-5]

	$\mathbf{P'_s}$	=	170.038 · plf
--	-----------------	---	---------------

8 Brutus 7.67.xmcd

$\mathbf{P'}_{q} \coloneqq \left(q_{d} + q_{l}\right) \cdot \mathbf{K} \mathbf{a}_{i} \cdot (\mathbf{y}) \cdot \cos\left(\delta_{i} - \omega\right)$	[Eq. 4-6]
--	-----------

 $P'_a := P'_s + P'_q$ [Eq. 4-4]

$$Y'_{s} := \frac{1}{3} \cdot y$$
 [Eq. 4-7]

$$Y'_{q} := \frac{1}{2} \cdot y$$
 [Eq. 4-8]

$$M'_{o} := P'_{s} \cdot Y'_{s} + P'_{q} \cdot Y'_{q}$$
 [Eq. 4-17]

Resisting Moments

$$W'_{w} := y \cdot \gamma_{u} \cdot W_{u} \qquad [\text{Eq. 4-9}]$$

$$X'_{w} := G_{u} + \frac{1}{2} \cdot (y) \cdot \tan(\omega)$$
 [Eq. 4-16]

$$M'_r := W'_w \cdot X'_w \qquad [\text{Eq. 4-15}]$$

$$FS_{ot} := \frac{M'_r}{M'_o}$$
 [Eq. 4-14]

Factor of Safety against Shear failure

$\mathbf{V'}_{u} := \mathbf{a}_{cs} + \mathbf{W'}_{w} \cdot tan(\boldsymbol{\lambda}_{cs})$	[Eq. 4-25]
$FS_{sh} := \frac{V'_u}{P'_a}$	[Eq. 4-27]



 $P'_q = 0 \cdot plf$

M'r	=	295.963	ft∙pl

 $FS_{ot} = 1.423$

	(14	489.078	
x 71	14	489.078	10
V'ı		(8.757)	11
	EC	8.757	
	FS _{sh} =	8.757	Γ
		8 757	

Summary

Wa l Heigh	nt										
Unreinforced Stability $FS_{ot} = 1.423$				$FS_{bearing} = 4.634$							
Applied Be	earing Stress	G Q _a	= 937·psf								
Grid Elevation	Geogrid Length	Tensile Force F _{g_n}	Geogrid Strength T _{an}	Anch. Length	Anch. Capacity	FS G Tensi (1.0)		FS Pullout (1.5)	FS Int Sliding (1.5)	FS Conn (1.5)	FS Bulging (1.5)
E _n =	L _n =	$\frac{s_n}{plf} =$	$\frac{n}{plf} =$	La _n =	$\frac{AC_n}{plf} =$	FS _{ten}	n =	$FS_{po_n} =$	$FS_{sl_n} =$	$FS_{conn_n} =$	$FS_{sc_n} =$
3.67 ¹	ft 5 ft	275	834	1.59 f	ft 562	3	03	2.04	10	5.41	8.76
5.67	5	231	834	2.8	1525	3	61	6.59	4.49	7.25	12.84
7	5	236	834	3.6	2423	3	53	10.26	3.54	7.63	16.09



4101 E. 12th Terrace Kansas City, MO 64127-1600 www.midwestblock.com Phone: 816.241.5197 Fax: 816.241.5279

November 15, 2021 BC Hardscapes LLC 134 E US 69 HWY Claycomo, MO 64119

Reference: Osage Third Plat – Brutus (Straight Split) (Sandstone Blend, Charcoal Blend, and Bethany Ledge)

* Please observe the recommended sheet attached when working with blended color as well as solid color units.

This is a letter to certify that the **Brutus** retaining wall units manufactured at Midwest Products Group will meet ASTM C1372-99a specifications minimum **3000 psi after 28 days** curing time. These retaining wall units will be supplied to the above referenced job.

To: Eric McCormack

Enclosed is our test report for our retaining wall units.

If you have any questions or need additional information, feel free to contact me.

Respectfully,

Sam Lock General Manager











Stable. Affordable. Architectural.

Brutus[™] is your best option for high performance walls where great looks is as much a priority as great performance and great value. The straight split featured on Brutus[™] gives the block a clean architectural look that complements many structures. The square foot size and rear lip connection allows for fast and easy installation.





Steps to Installing Romanstone Brutus™

Step 1 - Foundation

Lay out your wall project with string line or spray paint. Dig a trench at least 12" deep by 24" wide and compact the soil. Add and compact a 6" layer of crushed stone to create a level footing. Do this in two 3" lifts. If the grade changes, step the leveling pad as required with the top of the pad always at least 6" below finish grade.

Step 2 - Base Course

Place and level the first course of Brutus[™] wall units on the leveling pad. The rear lips on the first course of block can be removed to allow the units to lay flat on the crushed stone. Use a string line to align straight sections. Start from any corner and work out from there. Add soil in front and back of the base course and compact to finish grade. Complete the first course of wall units before installing additional courses.

Step 3 - Backfill and Additional Courses

Install additional Brutus[™] units over the vertical joint of the blocks in the course below it to maintain a running bond. Pull the units forward to engage the rear lips and maintain a setback from the course below. Backfill and compact clean crushed stone behind each wall course before installing the next course. Complete your wall with a cap unit secured to the wall with concrete adhesive. Cut any cap as needed to fit radius walls.



Romanstone Brutus[™] features our improved lip design resulting in less breakage, easier installation and reduced waste. The core-fill design results in lighter weight, more square foot per truck load, and easier installation.

• Unit dimensions: 8"H x 18"W x 12"D

- Units per square foot: 1.0 block
- Unit weight: 72 lbs
- Cube Count: 48 block
- Cube Weight (w/pallet): 3500 lbs

MANSTON HARDSCAPES®

Notes:

Curves as small as 19" inside radius can be constructed in addition to building straight walls. Brutus units have a setback of 1 3/16" per course. This creates an 8.3° wall batter. This setback will shift the bond lines of your wall when curves are built. If the vertical joints become stacked, part of the rear lip can be removed or units can be cut to get back to a running bond.

Estimating Chart

Wall Height	Wall length						
wall neight	12′	18′	24′	36′	75′		
8" (1 course)	8	12	18	24	50		
16" (2 courses)	16	24	36	48	100		
24" (3 courses)	24	36	54	72	150		
32" (4 courses)	32	48	72	96	200		
40" (5 courses)	40	60	90	120	250		
48" (6 courses)	48	72	108	144	300		
56" (7 courses)	56	84	126	168	350		

Please Note:

Maximum wall height not to exceed 48". This chart is based on site conditions which include a level grade, gran– ular soil, and no surcharge. Ask your Romanstone Hard– scapes dealer for patented soil reinforcement guidelines on walls exceeding 48", with surcharge, or clay soils.

Available at:

AMERICAN

www.romanstone.com



National Concrete Masonry Association 13750 Sunrise Valley Drive Herndon, VA 20171-4662 0 703.713.1900 F 703.713.1910 ncma.org/lab

	0/C140M-20a Tes and Testing Cond		Job No.: Report Date:	21-339-3A 8/2/2021		
Client: Address:	Midwest Block a 4101 E. 12th Te Kansas City, MC	rrace	Testing Agency: Address:	National Concrete Masonry Association Research and Development Laboratory 13750 Sunrise Valley Drive Herndon, VA 20171-4662		
Unit Specifi	ication: ASTM C13	372-17	Sampling Party:	Midwest Block and Brick		
Unit Desigr	nation/Description: Segmental Reta		Date Samples Received	7/1/2021		
Summary of Test Results: <u>Physical Property</u> Net Compressive Strength Density Absorption Absorption			128.9 pcf 8.9 pcf 6.9 %	ASTM C1372-17 Required Values 3000 psi 13 pcf 	minimum maximum	
		Variation from Specified Dimensions:	: 0.05 in.	0.125 in. r	naximum	

The client delivered five full-size units to the laboratory. From each unit, a 1.6 x 3.3 x 6.7 in. coupon was saw-cut from the unit for compression testing. Also, an additional segment was taken from the unit for absorption testing in accordance with ASTM C140/C140M-20a. The results of these tests are summarized above, with individual results listed below.

Measurements of Full-Size Units

		Estimated Width*	Avg Height	Length Front	Length Rear	Rec'd Weight	Specified Dimensions
		in.	in.	in.	in.	lb	Width, in. 12
	Unit #1	12.07	7.99	18.00	14.14	86.30	Height, in. 8
	Unit #2	12.13	8.00	18.02	14.11	87.16	Length Front, in. 18
	Unit #3	12.15	7.99	18.05	14.12	87.74	Length Rear, in. 14.1
	Unit #4	12.11	7.99	18.00	14.09	87.08	Calculation of variation from specified dimensions
Date Tested	Unit #5	12.16	7.97	18.05	14.14	85.44	does not include width because of split surface
7/2/2021	Average	12.12	7.99	18.02	14.12	86.74	

*The width dimension of this unit includes a split surface. Therefore, this dimension is an estimated average rather than an average calculated from measured dimensions.

Compression Specimens

		Avg Width in.	Avg Height in.	Avg Length in.	Coupon Weight Ib	Maximum Compressive Load Ib	Tested Compressive Strength psi
	Unit #1a	1.67	3.30	6.66	2.77	48290	4350
	Unit #2a	1.65	3.30	6.67	2.75	50760	4610
	Unit #3a	1.66	3.31	6.67	2.76	43520	3920
	Unit #4a	1.65	3.30	6.71	2.70	42940	3880
Date Tested	Unit #5a	1.65	3.30	6.72	2.72	39080	3520
7/9/2021	Average	1.66	3.30	6.69	2.74	44920	4060

Absorption Specimens

Approximate Specimen Size 3 x 8 x 18 in.

				Saturated				
		Received	Immersed	Surface-Dry	Oven-Dry			
		Wt, W _R	Wt, W _I	Wt, Ws	Wt, W _D	Absorption	Absorption	Density
		lb	lb	lb	lb	pcf	%	pcf
	Unit #1b	32.28	18.59	34.04	31.86	8.8	6.8	128.7
Date Tested	Unit #2b	33.20	19.02	34.94	32.80	8.4	6.5	128.6
7/13/2021	Unit #3b	33.76	19.45	35.54	33.30	8.7	6.7	129.1
to	Unit #4b	33.50	19.52	35.56	33.14	9.4	7.3	128.9
7/15/2021	Unit #5b	32.02	18.63	33.96	31.72	9.1	7.1	129.1
	Average	32.95	19.04	34.81	32.56	8.9	6.9	128.9

6

Jason J. Thompson

Vice President of Engineering

Timothy Jones Document ID TR-C1262-01Manager, Research and Development Laboratory Revised May 21, 2021